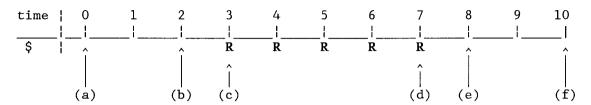
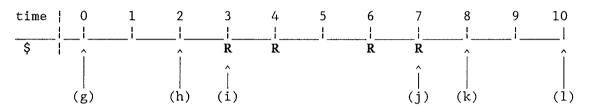
Frame A:

Cash receipt at the END of year ...



Frame B:

Cash receipt at the END of year ...

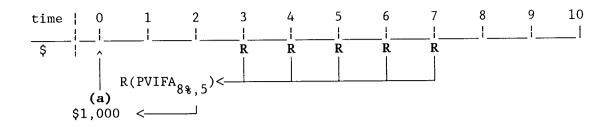


- 1. Assume that the time lines in Frames A and B (above) depict annual cash flows of R dollars at the ends of the periods indicated. If the appropriate compound annual interest rate is 8 percent, what dollar value does R take on if the present value of the cash flow stream depicted in Frame A or Frame B equals \$1,000 as of point (a)? point (b)? point (c)? point (g)? point (h)? point (i)?
- 2. Assume that the time lines in Frames A and B (above) depict annual cash flows of R dollars at the ends of the periods indicated. If the appropriate compound annual interest rate is 8 percent, what dollar value does R take on if the future value of the cash flow stream depicted in Frame A or Frame B equals \$1,000 as of point (d)? point (e)? point (f)? point (j)? point (k)? point (l)?

Answers:

Question 1 -- When the present value of the cash flow stream depicted in Frame A or Frame B equals \$1,000 at point _____, R equals _____. (a), \$292.23; (b), \$250.44; (c), \$231.91; (g), \$364.83; (h), \$312.60; (i), \$289.44

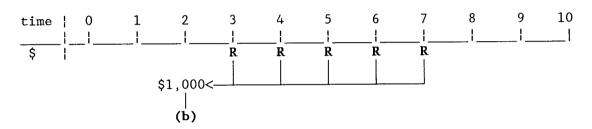
Question 2 -- When the future value of the cash flow stream depicted in Frame A or Frame B equals \$1,000 at point _____, R equals _____. (d), \$170.44; (e), \$157.83; (f), \$135.28; (j), \$212.72; (k), \$197.01; (1), \$168.83



$$\$1,000 = R(PVIFA_{8\$,5}) \times (PVIF_{8\$,2})$$

 $\$1,000 = R(3.993) \times (.857) = R(3.422)$

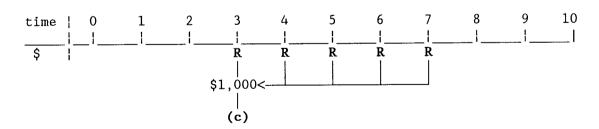
 $R = \$1,000/3.422 = \frac{\$292.23}{}$ when the present value of the cash flow stream equals \$1,000 at point (a)



$$$1,000 = R(PVIFA_{8%,5})$$

$$$1,000 = R(3.993)$$

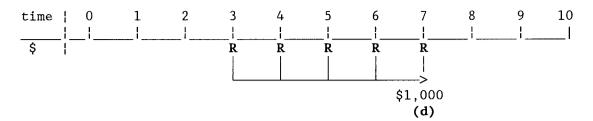
 $R = \$1,000/3.993 = \underline{\$250.44}$ when the present value of the cash flow stream equals \$1,000 at point (b)



$$\$1,000 = R + R(PVIFA_{8\$,4})$$

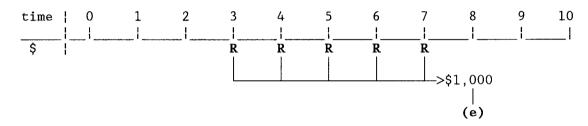
 $\$1,000 = R + R(3.312) = R(4.312)$

 $R = \$1,000/4.312 = \frac{\$231.91}{2}$ when the present value of the cash flow stream equals \$1,000 at point (c)



 $$1,000 = R(FVIFA_{8*,5}) = R(5.867)$

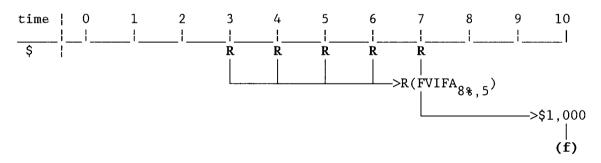
 $R = \$1,000/5.867 = \frac{\$170.44}{1000}$ when the future value of the cash flow stream equals \$1,000 at point (d)



 $$1,000 = R(FVIFA_{8%,5}) \times (1.08)$

 $$1,000 = R(5.867) \times (1.08) = R(6.336)$

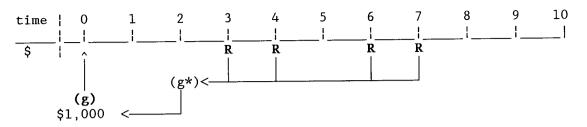
 $R = \$1,000/6.336 = \underline{\$157.83}$ when the future value of the cash flow stream equals \$1,000 at point (e)

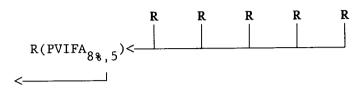


 $$1,000 = R(FVIFA_{8%,5}) \times (FVIF_{8%,3})$

 $\$1,000 = R(5.867) \times (1.260) = R(7.392)$

 $R = \$1,000/7.392 = \frac{\$135.28}{2}$ when the future value of the cash flow stream equals \$1,000 at point (f)





minus

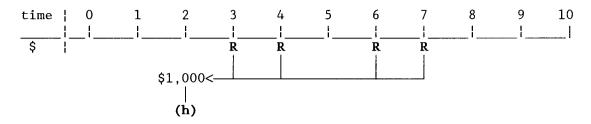


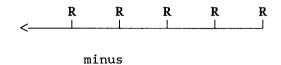
$$$1,000 = [R(PVIFA_{8*,5}) \times (PVIF_{8*,2})] - R(PVIF_{8*,5})$$

$$$1,000 = [R(3.993) \times (.857)] - R(.681)$$

$$$1,000 = R(3.422) - R(.681) = R(2.741)$$

 $R = \$1,000/2.741 = \underline{\$364.83}$ when the present value of the cash flow stream equals \$1,000 at point (g)

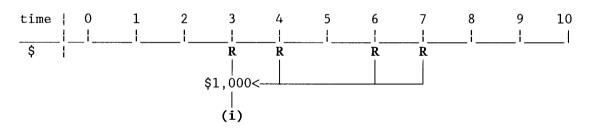




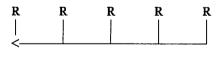
$$$1,000 = R(PVIFA_{8*,5}) - R(PVIF_{8*,3})$$

 $$1,000 = R(3.993) - R(.794) = R(3.199)$

 $R = \$1,000/3.199 = \underline{\$312.60}$ when the present value of the cash flow stream equals \$1,000 at point (h)



The above pattern is equivalent to

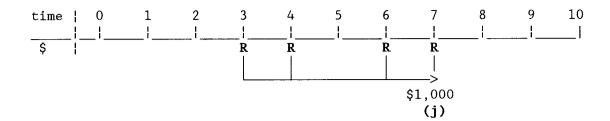


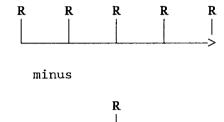
minus

$$\$1,000 = R + R(PVIFA_{8\$,4}) - R(PVIF_{8\$,2})$$

 $\$1,000 = R + R(3.312) - R(.857) = R(3.455)$

 $R = \$1,000/3.455 = \underline{\$289.44}$ when the present value of the cash flow stream equals \$1,000 at point (i)

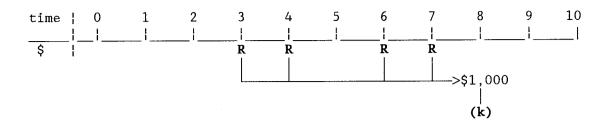


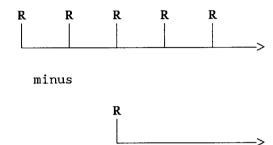


$$\$1,000 = R(FVIFA_{8\$,5}) - R(FVIF_{8\$,2})$$

 $\$1,000 = R(5.867) - R(1.166) = R(4.701)$
 $R = \$1,000/4.701 = \frac{\$212.72}{2}$ when the future value of the cash flow stream equals \$1,000

at point (j)

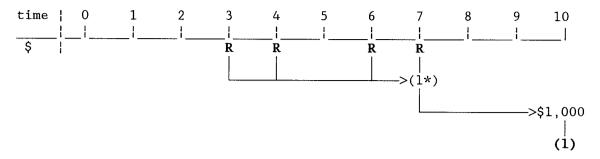


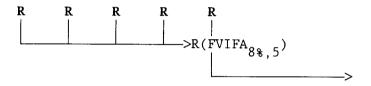


$$\$1,000 = [R(FVIFA_{8\$,5}) \times (1.08)] - R(FVIF_{8\$,3})$$

 $\$1,000 = [R(5.867) \times (1.08)] - R(1.260)$
 $\$1,000 = R(6.336) - R(1.260) = R(5.076)$

 $R = \$1,000/5.076 = \underline{\$197.01}$ when the future value of the cash flow stream equals \$1,000 at point (k)





minus



$$$1,000 = [R(FVIFA_{8*,5}) \times (FVIF_{8*,3})] - R(FVIF_{8*,5})$$

$$$1,000 = [R(5.867) \times (1.260)] - R(1.469)$$

$$$1,000 = R(7.392) - R(1.469) = R(5.923)$$

 $R = \$1,000/5.923 = \frac{\$168.83}{}$ when the future value of the cash flow stream equals \$1,000 at point (1)