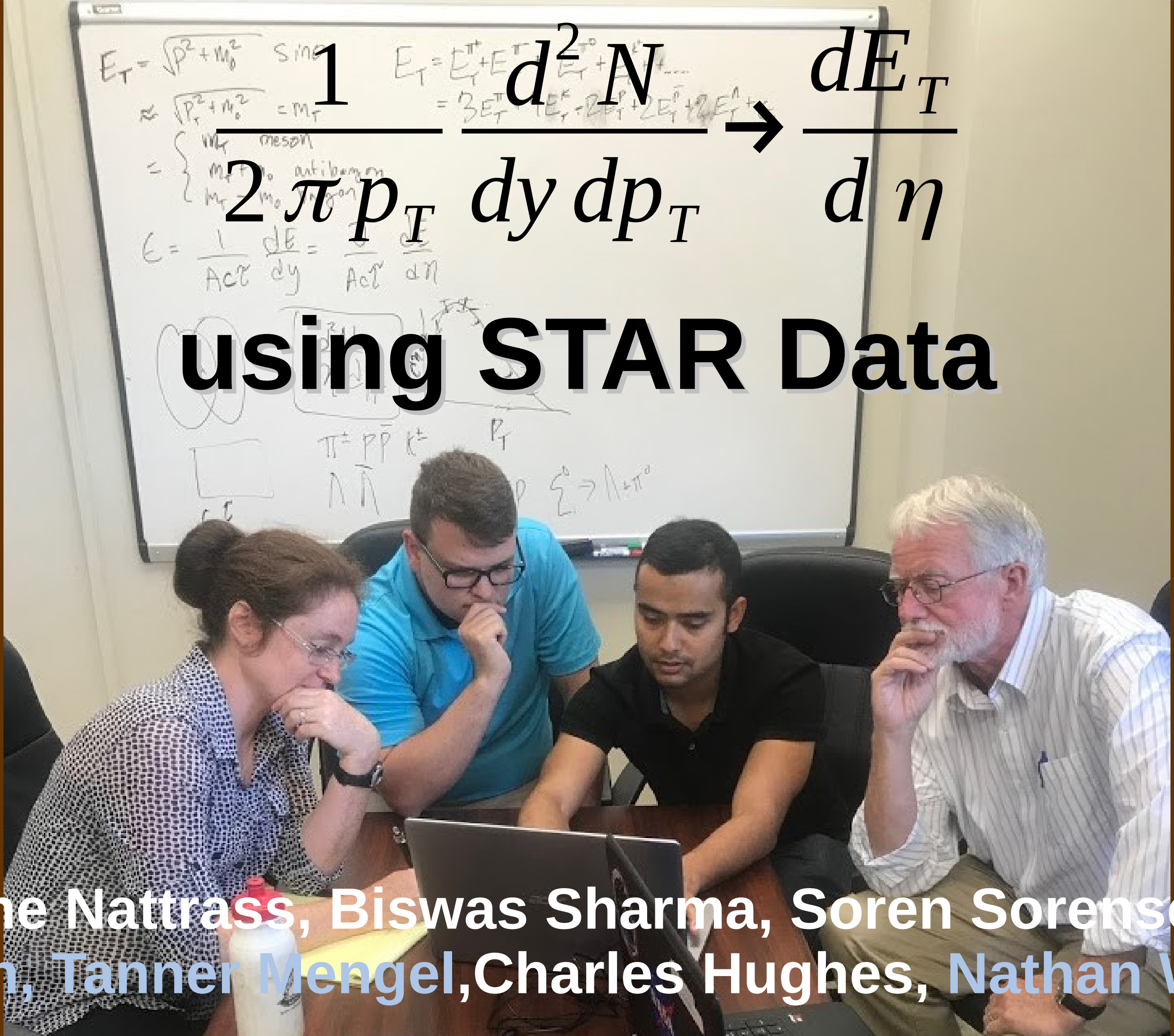


$$\frac{1}{2\pi p_T}\frac{d^2N}{dy\,dp_T} \rightarrow \frac{dE_T}{d\eta}$$

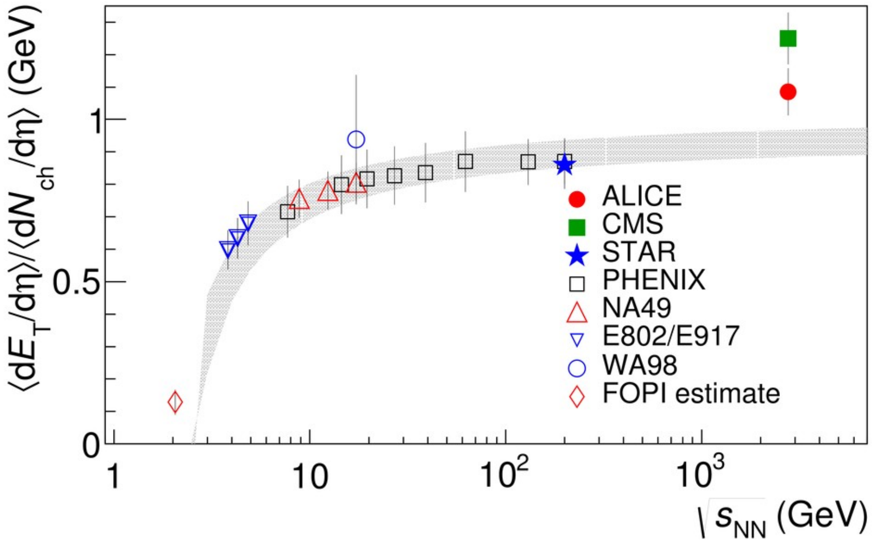
using STAR Data

Christine Nattrass, Biswas Sharma, Soren Sorensen, Ben Smith, Tanner Mengel,Charles Hughes, Nathan Webb

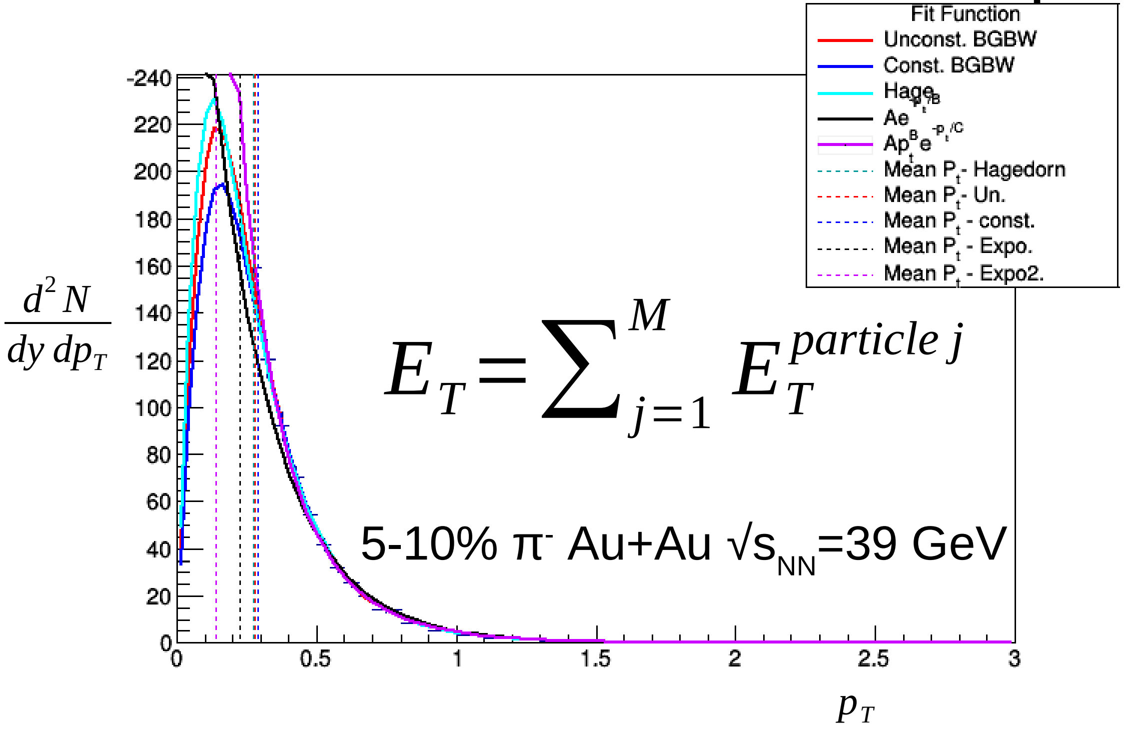
Motivation

$$\epsilon = \frac{1}{V}\frac{dE_T}{dy} = \frac{J}{A_T \tau c}\frac{dE_T}{d\eta}$$

- Cross check data
- Study PID distribution of energy
- Understand E_T/N_{ch} better



Calculating E_T from spectra



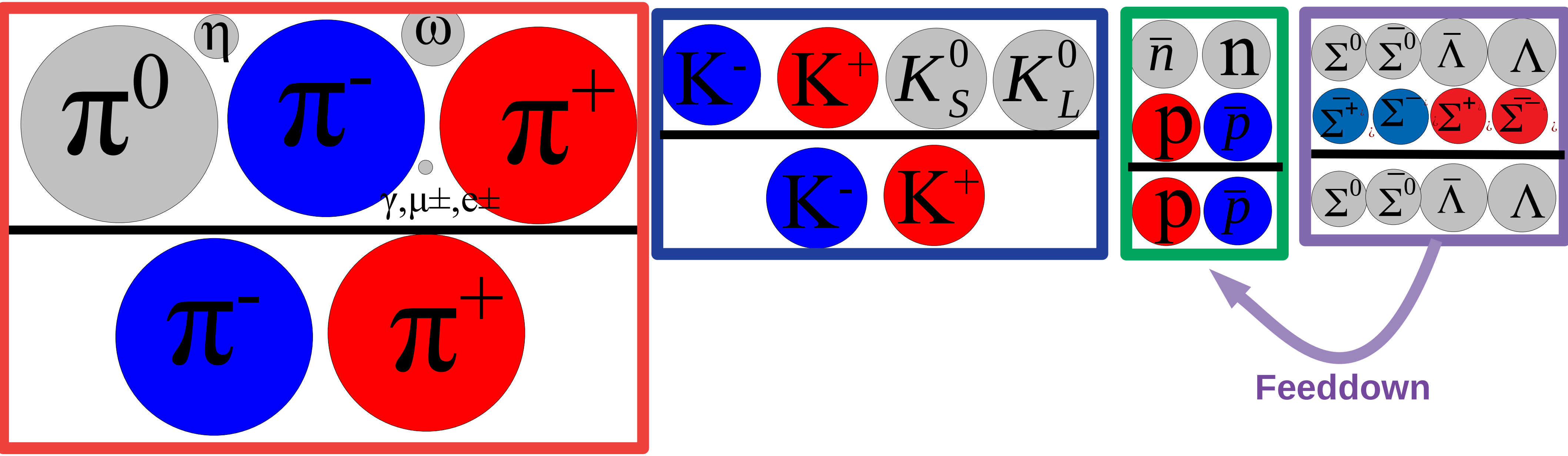
$$E_T = \sum_{j=1}^{M} E_T^{particle\,j}$$

$$E_T^{PID} = \underbrace{\int_0^{p_T^{min}} f(p_T)\, E_T\, dp_T}_{\textbf{Fit}} + \underbrace{\sum_{i=1}^{N} \frac{d^2 N_i}{dy\, dp_T} E_T(p_T^i, m)}_{\textbf{Data}} + \underbrace{\int_{p_T^{max}}^{\infty} f(p_T)\, E_T\, dp_T}_{\textbf{Fit}}$$

- Strange hadron production in Au+Au collisions at $\sqrt{s_{NN}}$ = 7.7, 11.5, 19.6, 27, and 39 GeV
  Phys. Rev. C 102, 034909 (2020)
- Bulk Properties of the Medium Produced in Relativistic Heavy-Ion Collisions from the Beam Energy Scan Program
  Phys. Rev. C 96, 044904 (2017)
  $\pi^\pm$, $K^\pm$, p,
  Distance of closest approach to primary vertex< 3 cm
  - **Includes most but not all daughters**

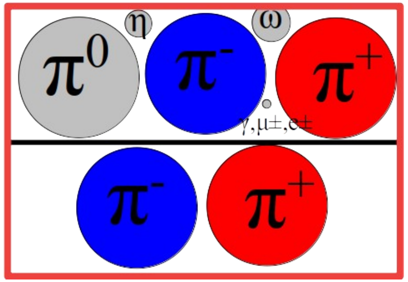
Calculating E_T from published spectra

$$E_T = f_\pi E_T^{\pi^\pm} + f_K E_T^{K^\pm} + f_p E_T^{p,\bar{p}} + f_\Lambda E_T^{\Lambda,\bar{\Lambda}}$$

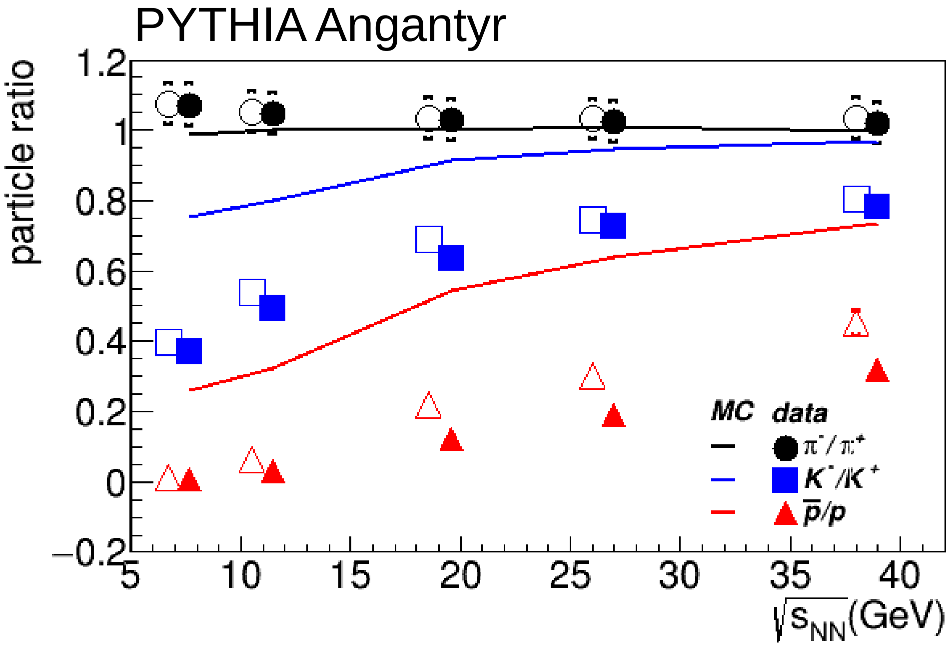


Pion correction f_π

- Pion ratios influenced by short-lived resonances, dominated by η & ω
- Measured ratio of $\pi^0/\pi^\pm$ roughly consistent with PYTHIA*



decay	BR (%)
$\eta \to \gamma\gamma$	39.4
$\eta \to \pi^0\pi^0\pi^0$	32.7
$\eta \to \pi^+\pi^-\pi^0$	22.9
$\eta \to \pi^+\pi^-\gamma$	4.2
$\omega \to \pi^+\pi^-\pi^0$	89.2
$\omega \to \pi^0\gamma$	8.3
$\omega \to \pi^+\pi^-$	1.5



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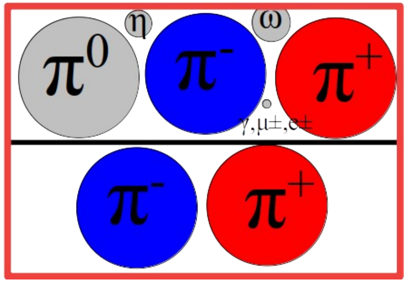
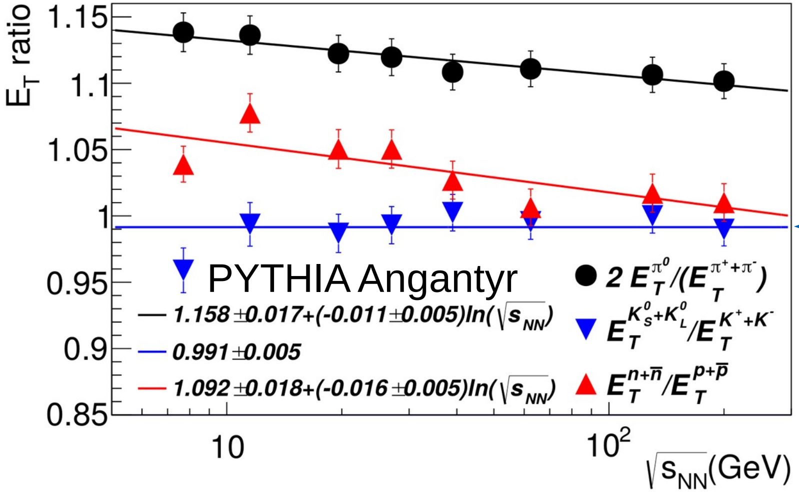
*Yuri Kharlov, internal ALICE presentation

Pion correction f_π





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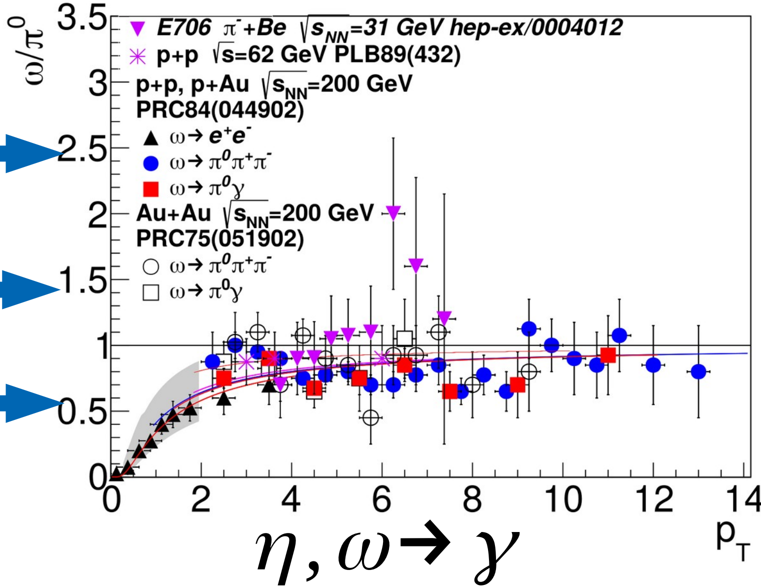


$$\eta,\omega,X \rightarrow \pi^0,\pi^{\pm}$$ ¿ ¿

$$f_\pi = 1.56 \pm 0.02$$

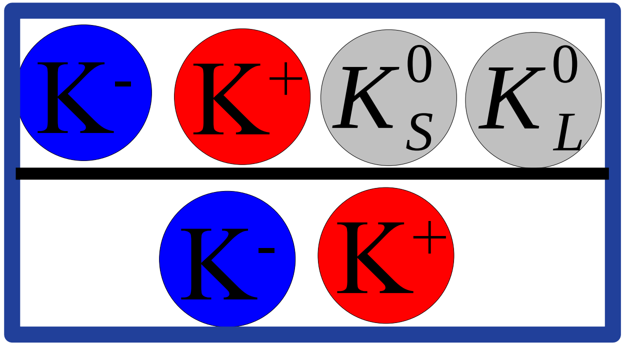
$$\eta,\omega \rightarrow \gamma$$

- m_T scaling
- match to η/π^0 & ω/π^0 data
- 100% uncertainties

Kaon correction f_K

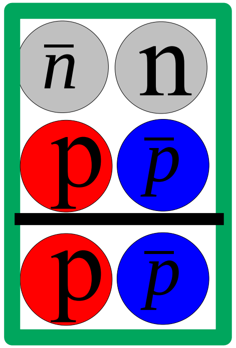
- Also potentially impacted by resonances
- Used ratios of the (preliminary) yields from BES data

$$f_K = 1.8 \pm 0.2$$



$$\frac{K^- \; K^+ \; K^0_S \; K^0_L}{K^- \; K^+}$$

Proton correction f_p



- Lower limit: $f_p = 2$
- Upper limit:
  Yield=Primordial+Generated
  Antibaryons=Generated
  Baryons=Primordial+Generated
  Primordial n/p = N/Z

$$\frac{N_n + N_{\bar{n}}}{N_p + N_{\bar{p}}} = \frac{N/Z + (2 - N/Z) N_{\bar{p}}/N_p}{1 + N_{\bar{p}}/N_p}$$

$\sqrt{s_{NN}}$	$\frac{N_{\bar{p}}}{N_p}$	Ref.	f_p
7.7	$0.0073 \pm 0.0002 \pm 0.0006$	3	2.49 ± 0.49
11.5	$0.0331 \pm 0.0002 \pm 0.0028$	3	2.46 ± 0.46
14.5	$0.0641 \pm 0.0005 \pm 0.0109$	2	2.43 ± 0.43
19.6	$0.1216 \pm 0.0003 \pm 0.0104$	3	2.39 ± 0.39
27	$0.1892 \pm 0.0003 \pm 0.0162$	3	2.34 ± 0.34
39	$0.3204 \pm 0.0003 \pm 0.0274$	3	2.25 ± 0.25
62.4	0.469 ± 0.026	5	2.18 ± 0.18
130	0.708 ± 0.036	5	2.08 ± 0.08
200	0.769 ± 0.055	5	2.06 ± 0.06

[1] J. Adam et al. (ALICE), Phys. Rev. C94, 034903 (2016), 1603.04775.
[2] J. Adam et al. (STAR) (2019), 1908.03585.
[3] L. Adamczyk et al. (STAR), Phys. Rev. C96, 044904 (2017), 1701.07065.
[4] J. Adam et al. (STAR) (2019), 1906.03732.
[5] B. I. Abelev et al. (STAR), Phys. Rev. C79, 034909 (2009), 0808.2041.

Lambda correction f_Λ

- **Sigma:** Yield ratios
  - Isospin scaling: 1.5
  - PYTHIA: 1.67
  - HIJING: 1.532
- **Feeddown:** STAR published spectra at $\sqrt{s_{NN}}$=200 GeV (Phys.Rev.Lett.97:152301,2006) with and without feeddown*

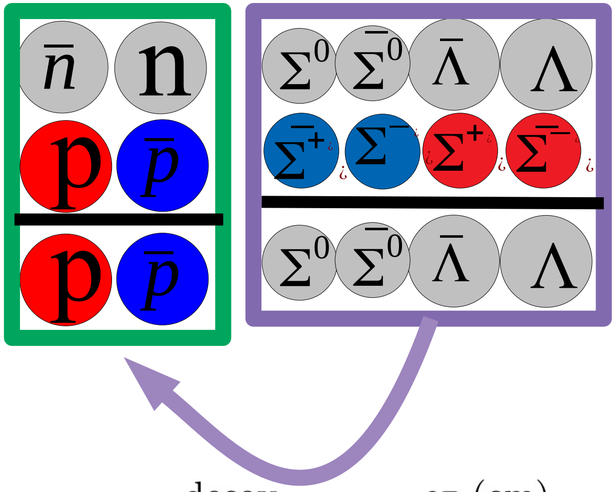
→ Does not provide a lot of constraint

→ Use branching ratio

$$\rightarrow 0.68 \pm 0.32$$

$$f_\Lambda = 1.08 \pm 0.51$$

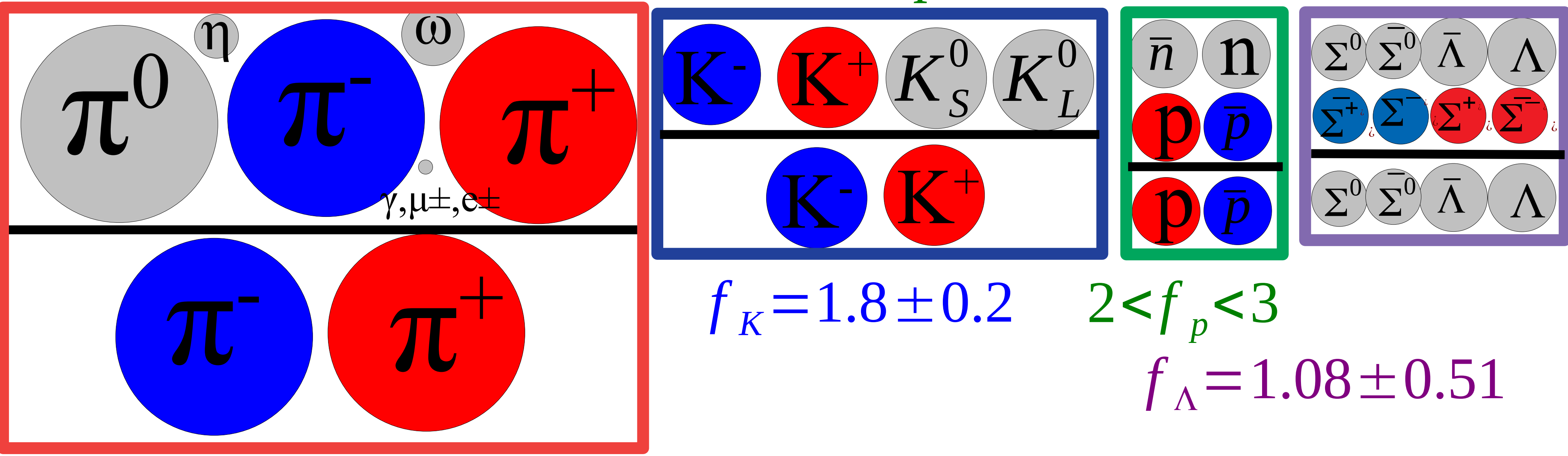
*Thanks to Ron Belmont for pointing this out to us



decay	$c\tau$ (cm)
$\Lambda \to p\pi^-$ (64%) $\Lambda \to n\pi^0$ (36%)	7.9
$K_S^0 \to \pi^+\pi^-$ (69%) $K_S^0 \to \pi^0\pi^0$ (31%)	2.7
$K_L^0 \to \pi^\pm e^\mp \nu_e$	1534

Calculating E_T from published spectra

$$E_T = f_\pi E_T^{\pi^\pm} + f_K E_T^{K^\pm} + f_p E_T^{p,\bar{p}} + f_\Lambda E_T^{\Lambda,\bar{\Lambda}}$$



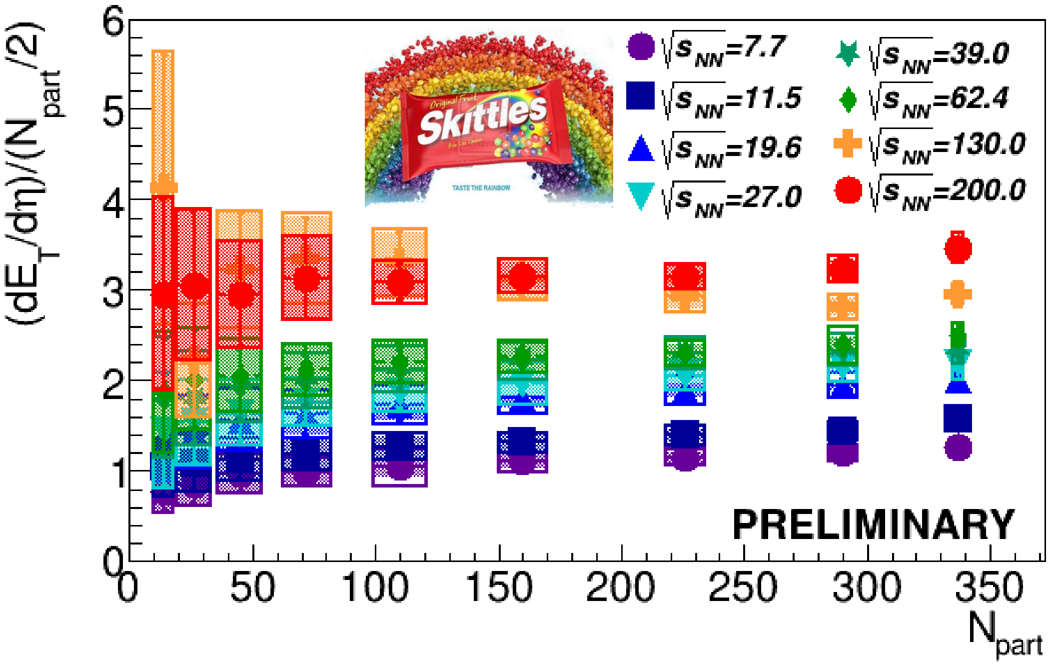
$f_K = 1.8 \pm 0.2$

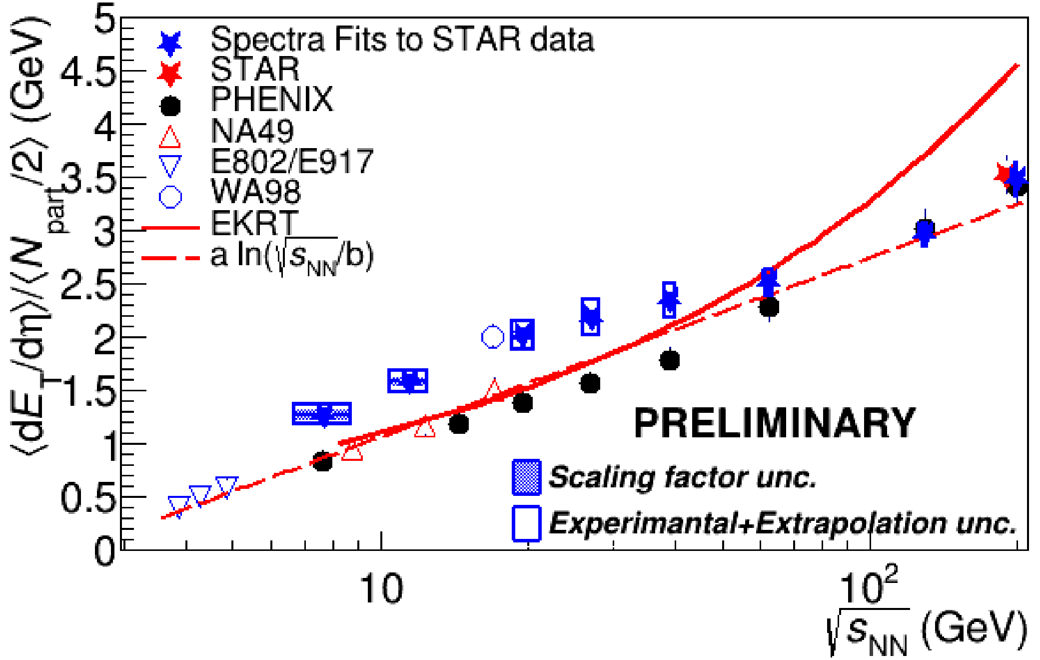
$2 < f_p < 3$

$f_\Lambda = 1.08 \pm 0.51$

$f_\pi = 1.56 \pm 0.02 + \left(E_T^\eta + E_T^\omega\right) / \left(E_T^\pi\right)$

Results & conclusions





- Tracking detectors can measure E_T well
- E_T calculated from STAR spectra do not agree with PHENIX E_T

What we need to do

- Double check fits
- Separate uncertainties from extrapolation to $p_T=0$
- Finalize corrections and uncertainties
- Write the paper
- Calculations in small systems?

Suggestions

- STAR: BES E_T measurement
- PHENIX: BES spectra measurements
- sPHENIX E_T measurement

Q&A

Q: Why not do this for PHENIX spectra as well?
A: PHENIX spectra only for p_T>0.5 GeV/c, large extrapolation uncertainty

Q: Why not look at energy distribution by particle type?
Q: Why not look at E_T/N_{ch}?
A: We are. To be continued…

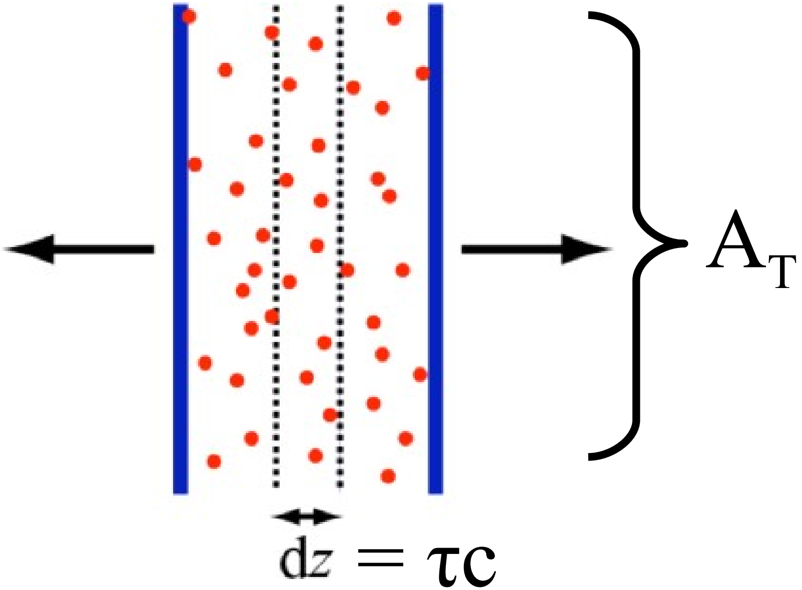
Q: Why not look at small systems?
A: We will. To be continued…

How can we estimate the energy density?

- Transverse energy (E_T)
  - sum of particle energies in transverse direction
- Volume $V = A_T \tau c$
- τ = formation time
- Energy density ε

$$\epsilon = \frac{1}{V}\frac{dE_T}{dy} = \frac{J}{A_T \tau c}\frac{dE_T}{d\eta}$$

- QGP formation for $\varepsilon > 0.5$ GeV/fm^3

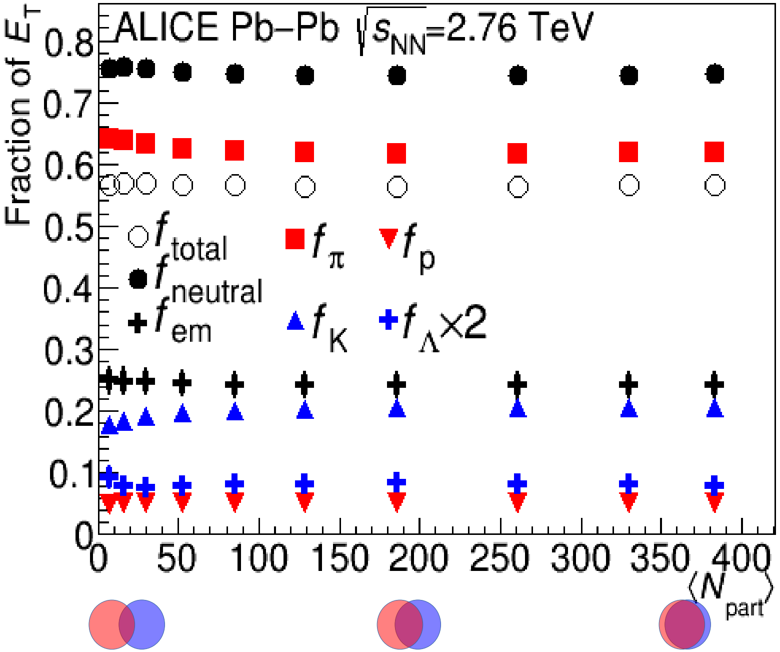


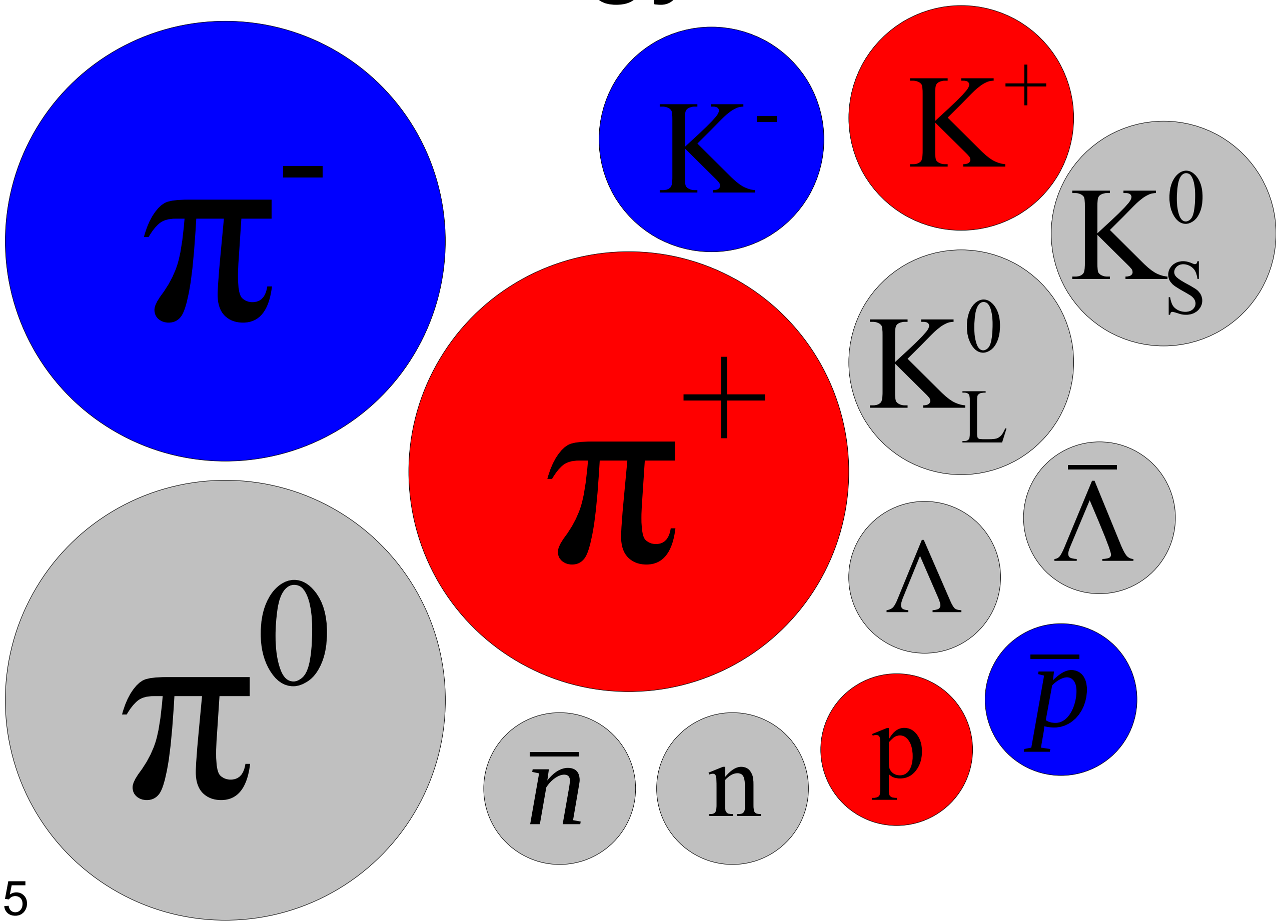
Methods for measuring E_T

- CMS: Tracking + electromagnetic calorimeter + hadronic calorimeter
- PHENIX: Electromagnetic calorimeter
- STAR: Tracking + Electromagnetic calorimeter
- ALICE: Tracking*

*Other methods used as cross checks

Where is the energy?

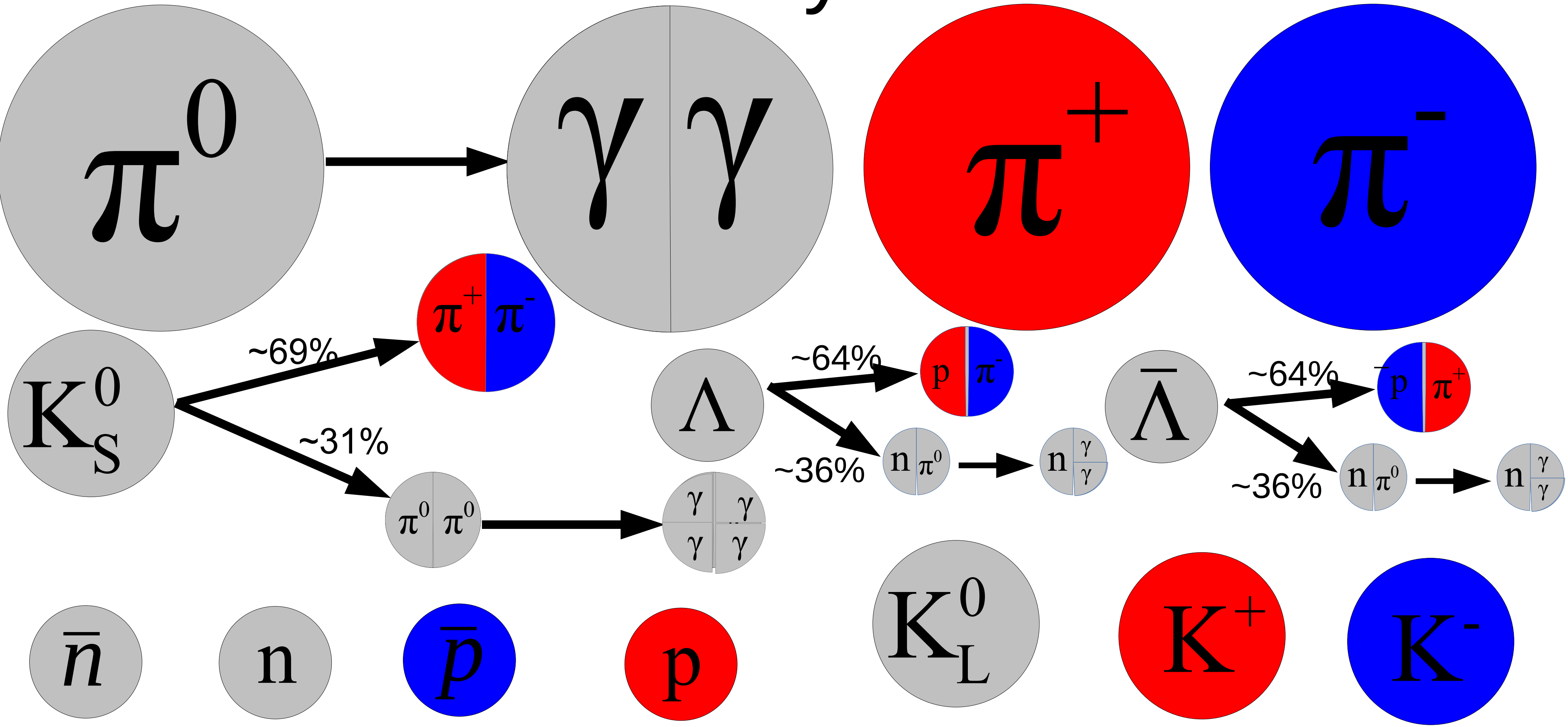




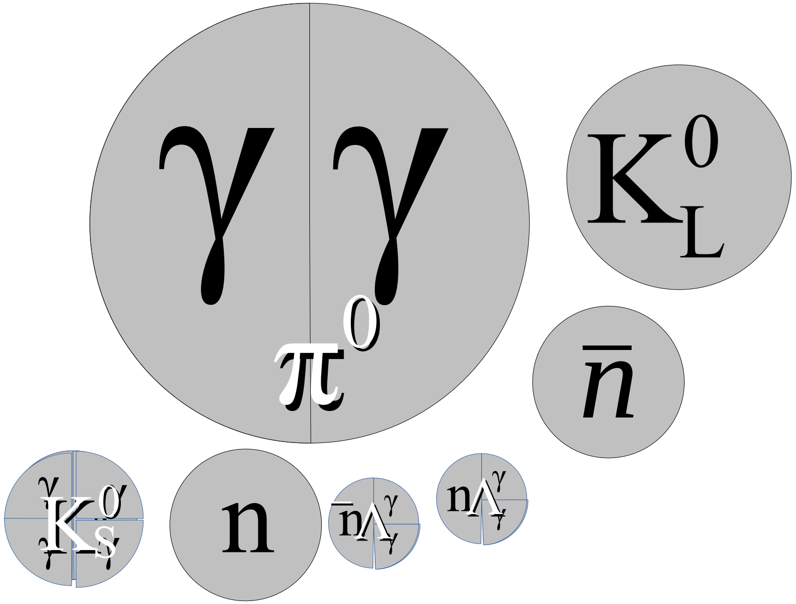
Scale: diameter in inches = √fraction * 5

Numbers from 2.76 TeV Phys. Rev. C 94 (2016) 034903

How does it hit your detector?

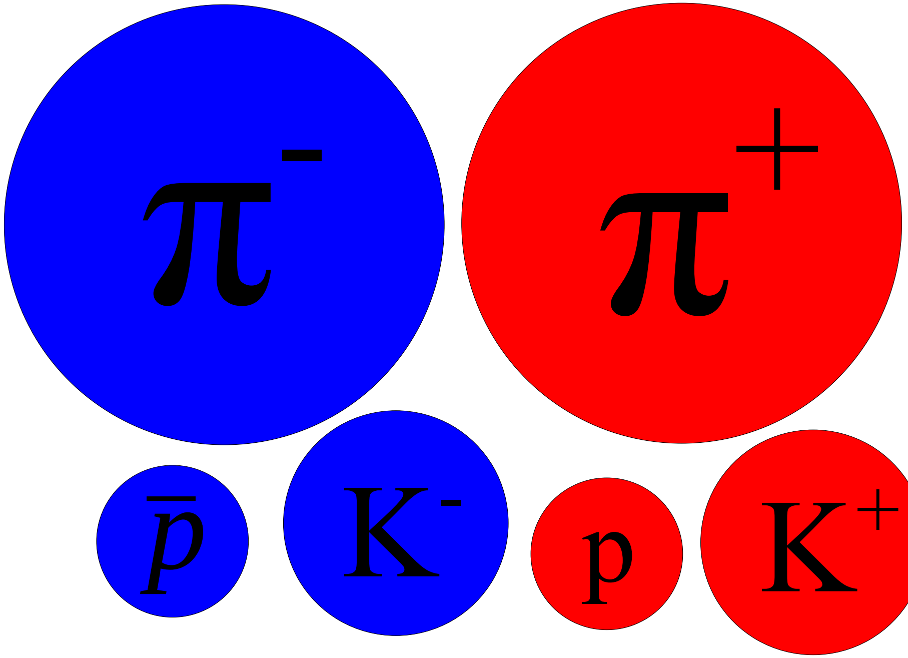


How does it hit your detector?



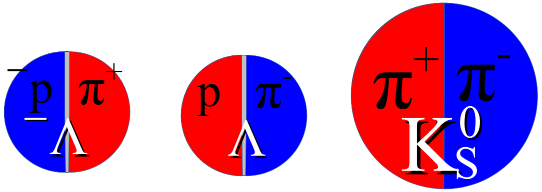
35% neutral

11% in neutral hadrons



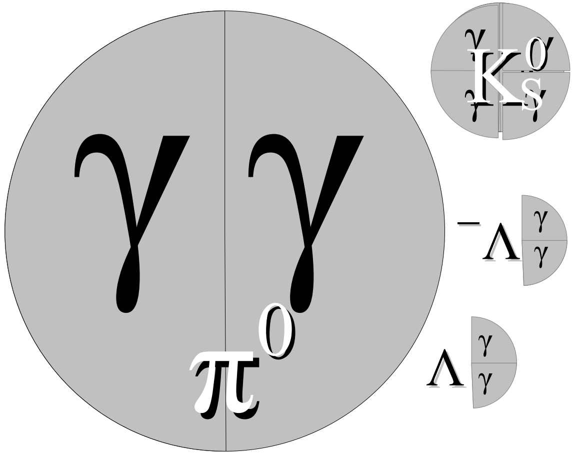
65% charged

7% in secondaries



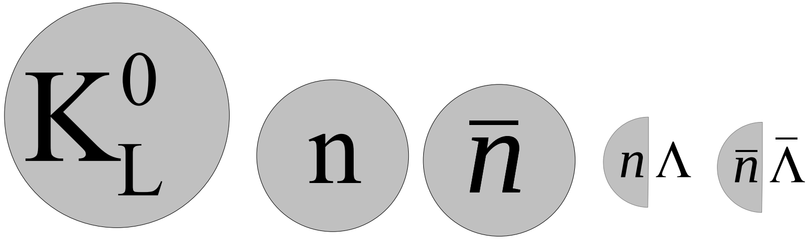
CMS

Hadronic calorimeter



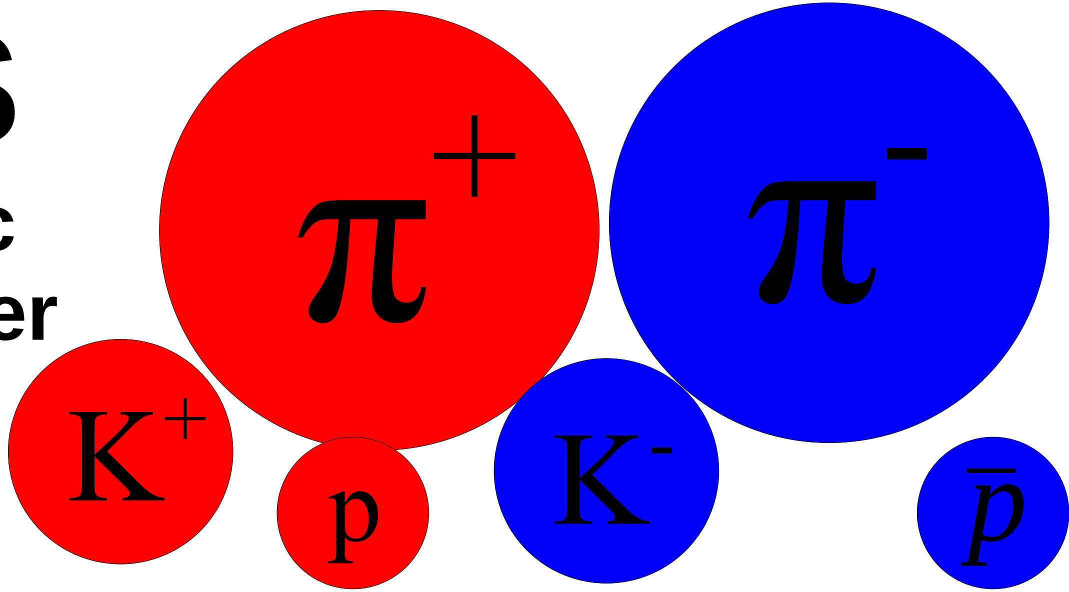
24% as a γ

Measure in electromagnetic calorimeter

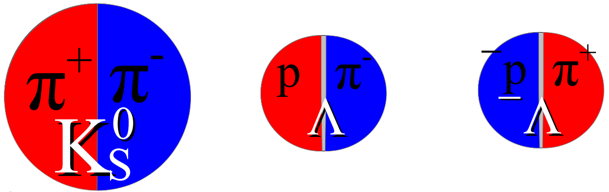


11% as a neutral hadron

Measure in hadronic calorimeter



58% in primary hadrons



7% in secondary hadrons

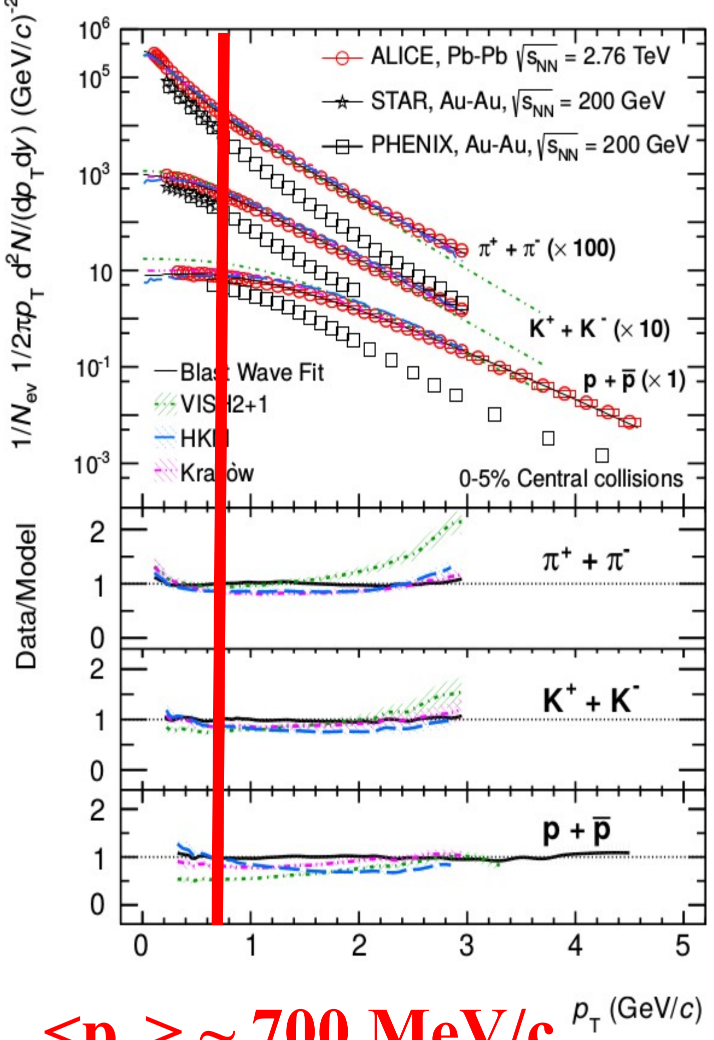
Measure in tracking detectors and hadronic calorimeter

CMS

Tracks: p_T>900 MeV/c

Clusters: limited by B

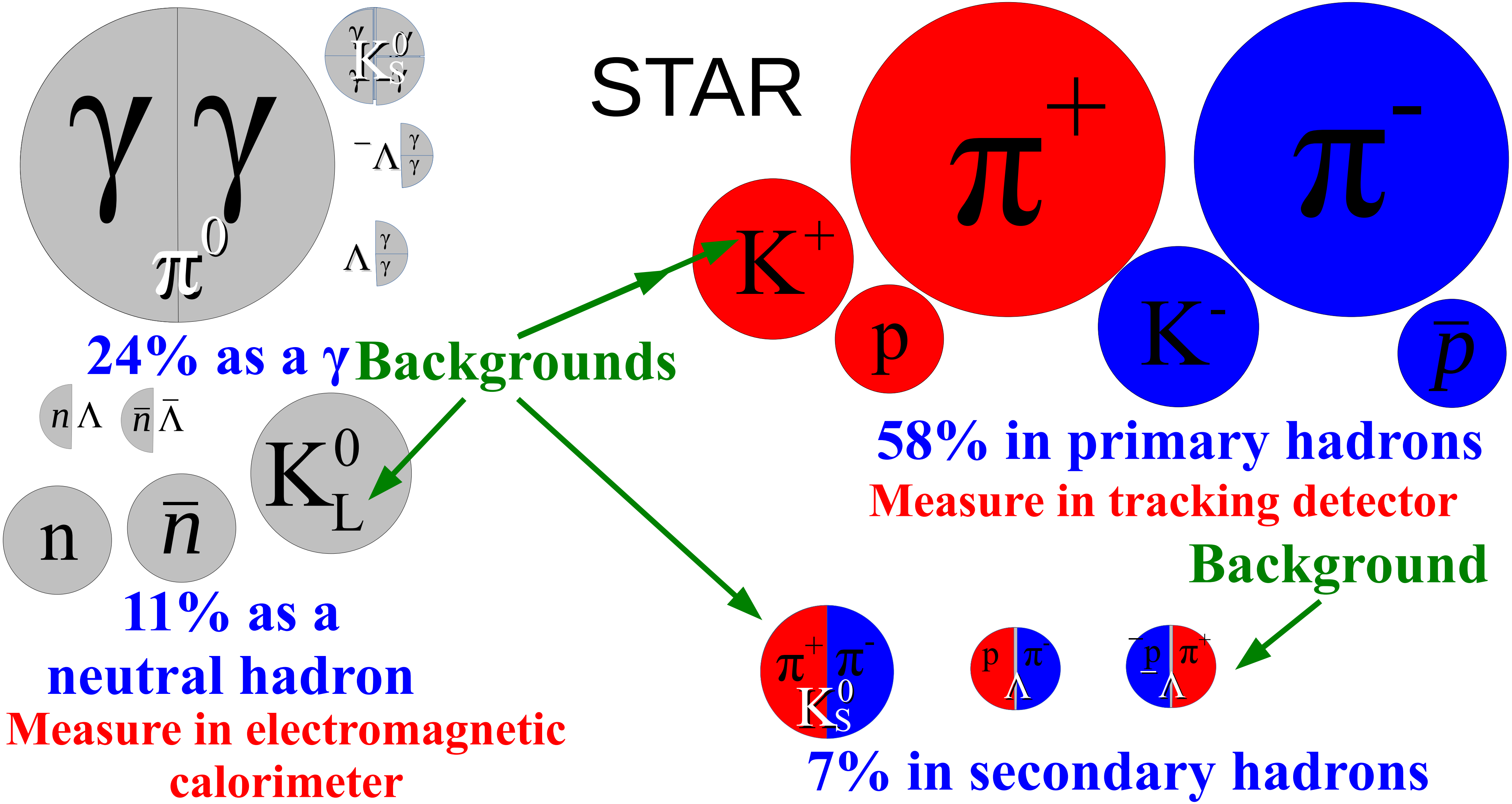
→ ~62% of energy measured



<p_T> ~ 700 MeV/c

Phys. Lett. B 727 (2013) 371-380

Phys. Rev. Lett. 109, 252301 (2012)



STAR

24% as a γ

Backgrounds

11% as a neutral hadron

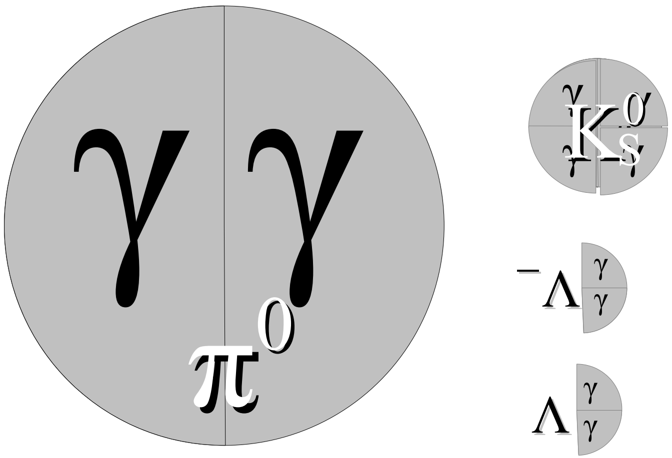
Measure in electromagnetic calorimeter

58% in primary hadrons

Measure in tracking detector

Background

7% in secondary hadrons



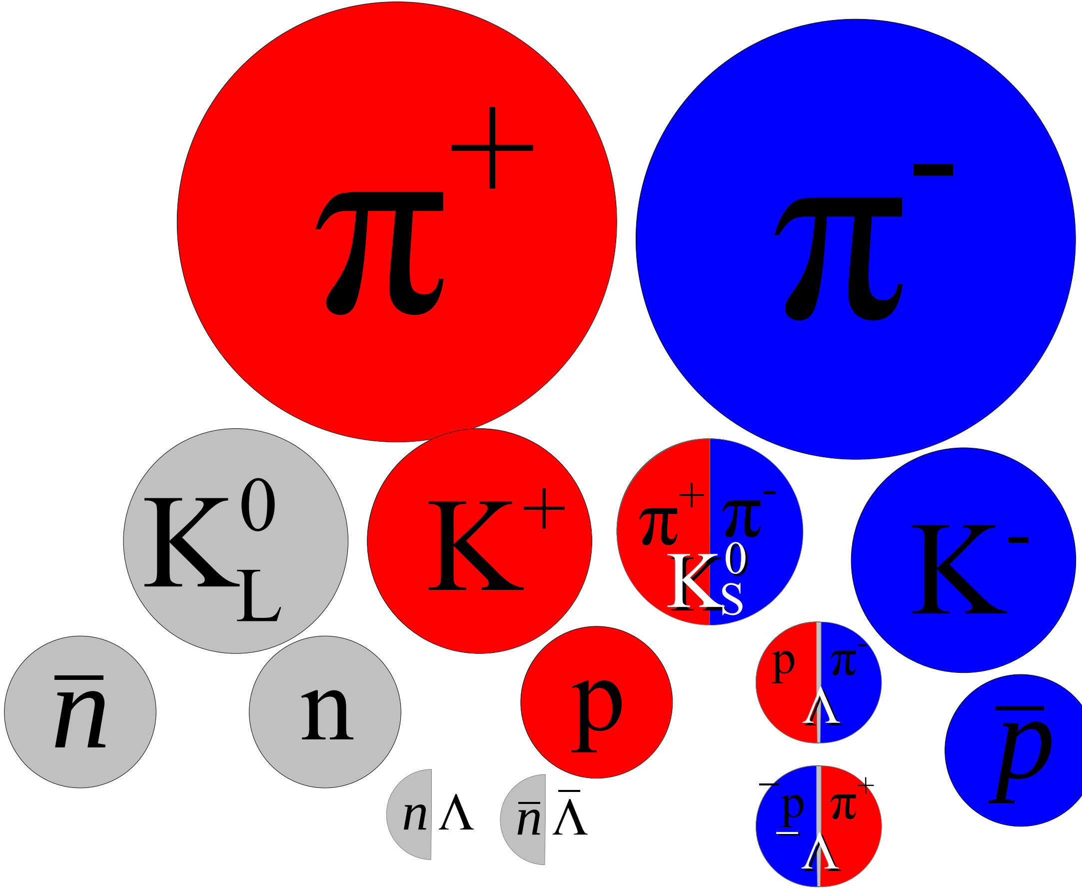
Deposit 100% of energy

35% of energy in event

PHENIX

Electromagnetic calorimeter

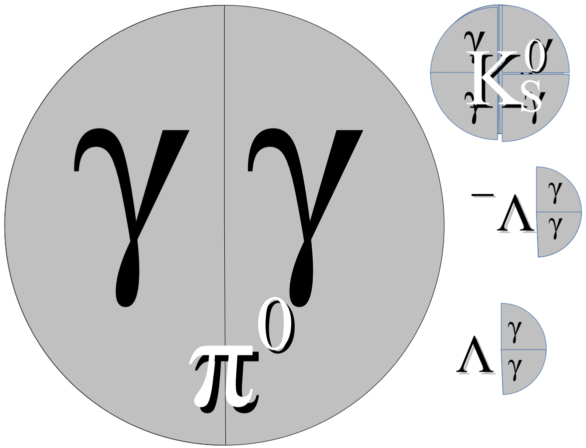
→ Measure ~57% of energy



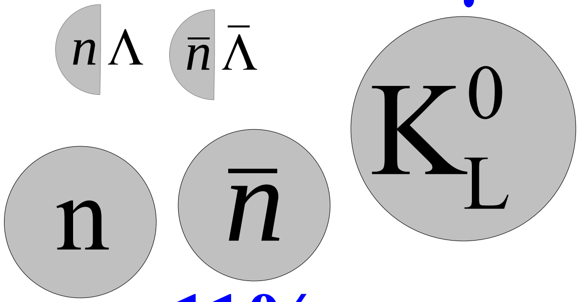
Deposit about 1/3 of energy

65% of energy in event

ALICE



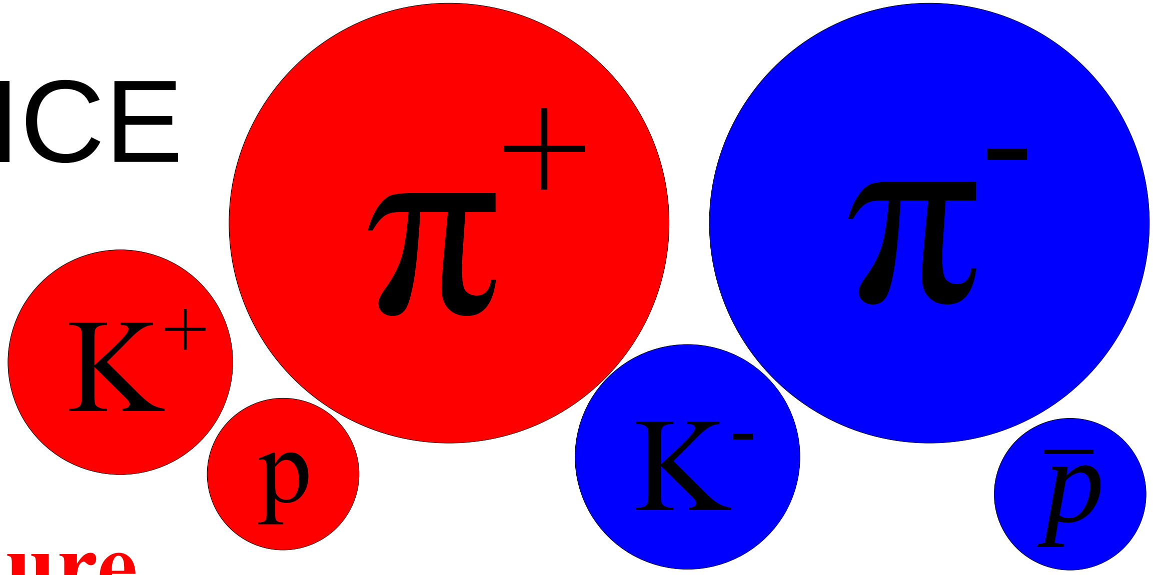
24% as a γ



11% as a neutral hadron

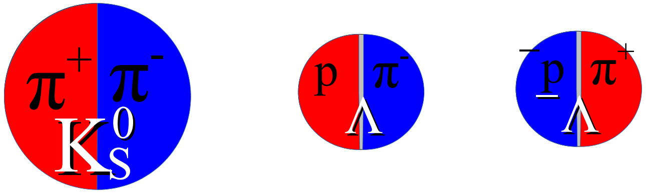
Don't measure

Measure ~56%



58% in primary hadrons

Measure in tracking detector



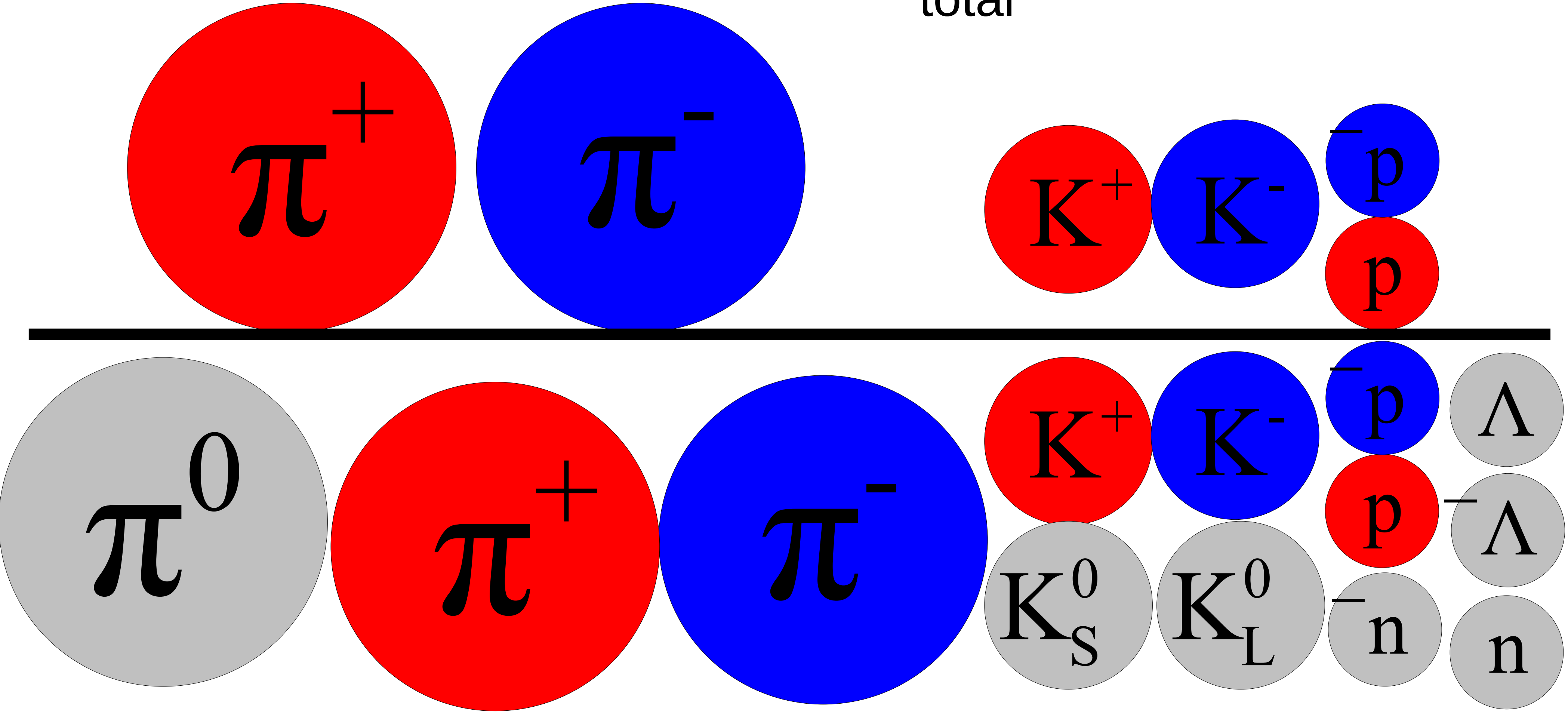
7% in secondary hadrons

Cut out using tight DCA cut

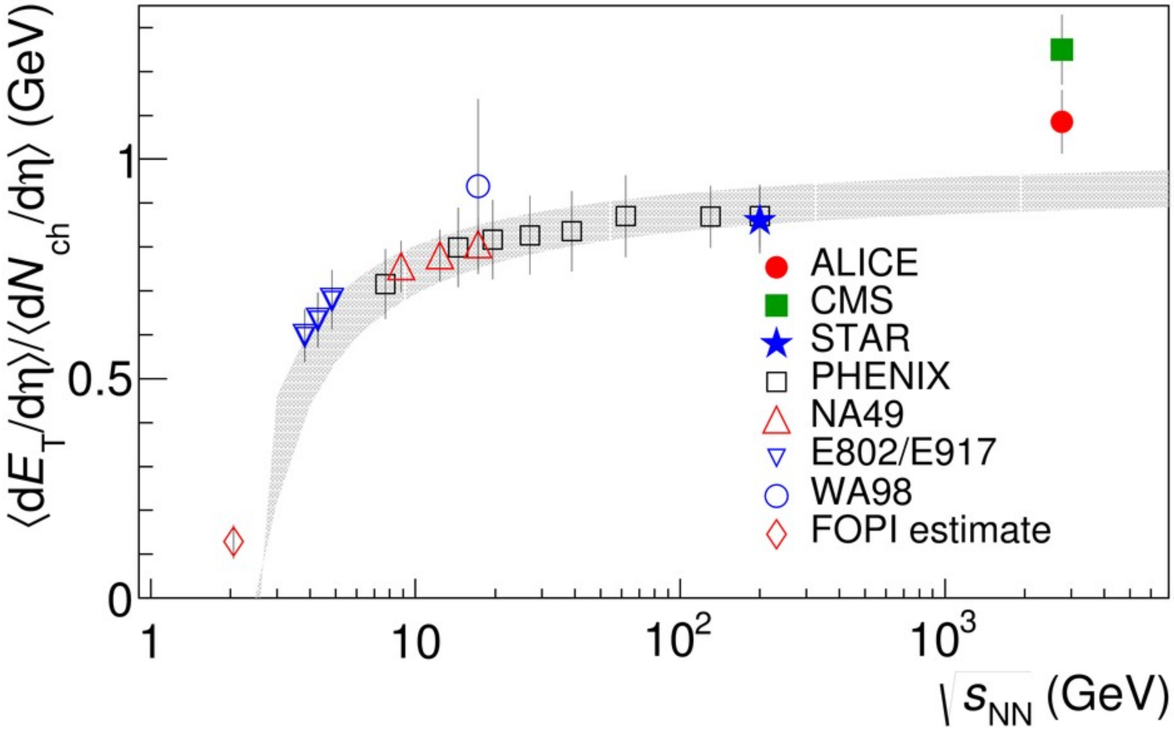
ALICE

$$E_T = \underbrace{\overset{3\%}{\overset{\downarrow}{\frac{1}{f_{p_T cut}}}}\ \underset{\overset{\uparrow}{45\%}}{\frac{1}{f_{total}}} \sum_{i=0}^{n} \overset{2\%}{\overset{\downarrow}{f^i_{bg}(p_T)}}\ \overset{3\%}{\overset{\downarrow}{\frac{1}{f_{notID}}}}\ \overset{40\%\quad \text{But known well!}}{\overset{\downarrow}{\frac{1}{eff(p^i_T)}}}}_{\text{Corrections}}\ \underset{\overset{\uparrow}{\text{What we measure directly}}}{E_i \sin(\theta^i)}$$

ALICE: $f_{total} = 0.567 \pm 0.009$



ALICE E_T



$\langle dE_T/d\eta\rangle/\langle dN_{ch}/d\eta\rangle$ (GeV)
0
0.5
1
1
10
10^2
10^3
$\sqrt{s_{NN}}$ (GeV)
● ALICE
■ CMS
★ STAR
□ PHENIX
△ NA49
▽ E802/E917
○ WA98
◇ FOPI estimate

Lambda correction f_Λ

- STAR BES DCA to PV<3 cm
  Feeddown due to K^0_S done
  Feeddown to p due to Λ not done
- STAR published spectra at $\sqrt{s_{NN}}$=200 GeV (Phys.Rev.Lett.97:152301,2006) with and without feeddown*

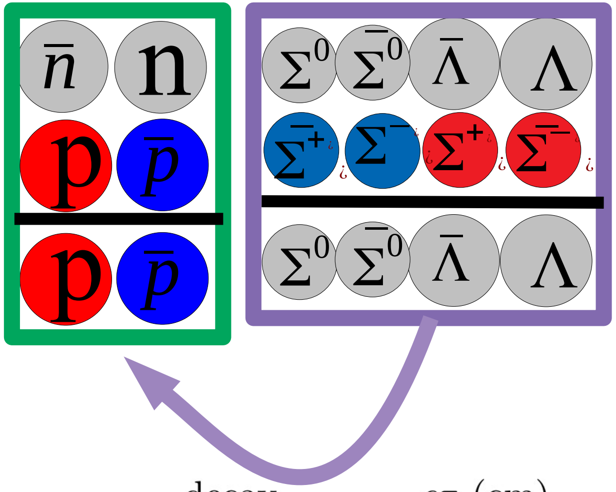
  → Calculate $E_T{}^\Lambda$ feeddown
- Does not provide a lot of constraint

  → Use branching ratio

$$\rightarrow 0.68 \pm 0.32$$

$$f_\Lambda = 1.08 \pm 0.51$$

*Thanks to Ron Belmont for pointing this out to us



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$K^0_L \to \pi^\pm e^\mp \nu_e$	1534

centrality	E_T^{fd}/E_T^Λ
0–12%	0.68 ± 0.18
10–20%	0.78 ± 0.22
20–40%	0.79 ± 0.2
40–60%	0.80 ± 0.21
60–80%	0.75 ± 0.27